

Introducing CAL: Context-Aware Learning

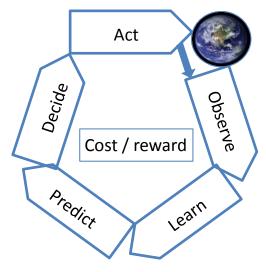
Campbell Scott, IBM Research Almaden



Goal: Design a robust system capable of learning by multimodal observation, continuously and unsupervised, predicting, (ultimately) making decisions and acting on them.

Outline

- 1. Architecture of network
- 2. Algorithms
- 3. Components: test and demo
 - 1. Static correlation
 - 2. Sequence memory
 - 3. Temporal pooling and correlation
 - 4. Feedback
- 4. Predicting chaos double pendulum
- 5. Scaled network auto-encoding of sequences
- 6. Summary



Summary of take-home messages

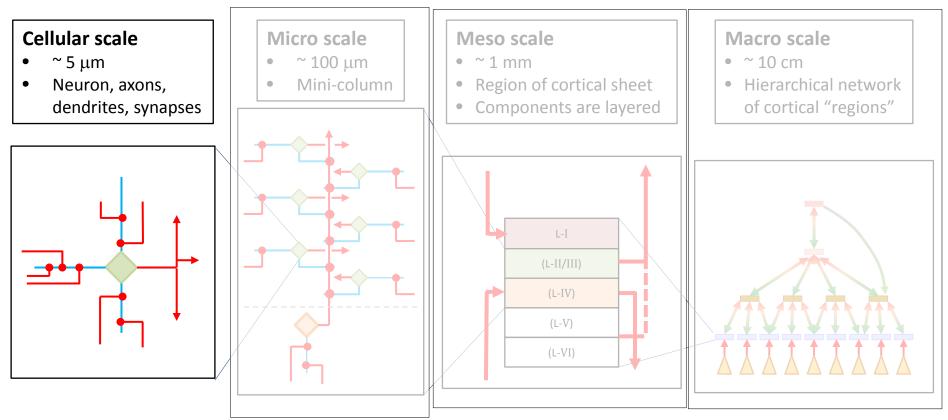
Design

- Neurological inspiration
 - Neurons in mini-columns, cortical layers (L-I.. L-VI) and hierarchy (levels)
 - Driving and modulating synapses, (modified) Hebbian updates
 - Stable network via homeostasis
 - Avoid catastrophic forgetting
- Simplicity
 - Binary neurons and synapses, sparse neural activity, sparse synapse connections
 - A few canonical functions: correlation, sequence learning, feed-forward with temporal pooling, feedback
- Importance of time
 - Learn to predict

Results

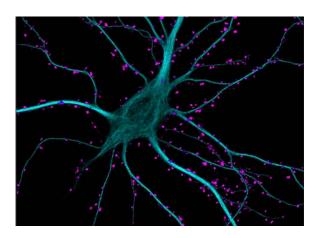
- Emergent invariance
 - Invariant representations generated in higher levels of hierarchy
- Context for current (driving) input provided by modulating synapses

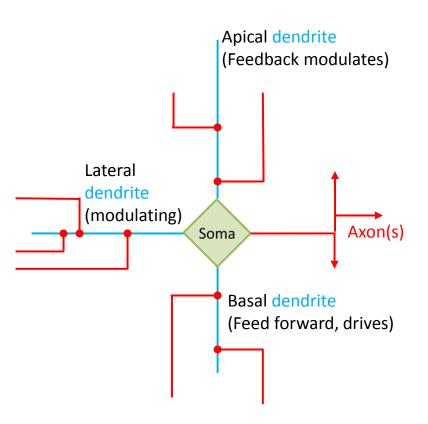
CAL architecture: biologiCAL



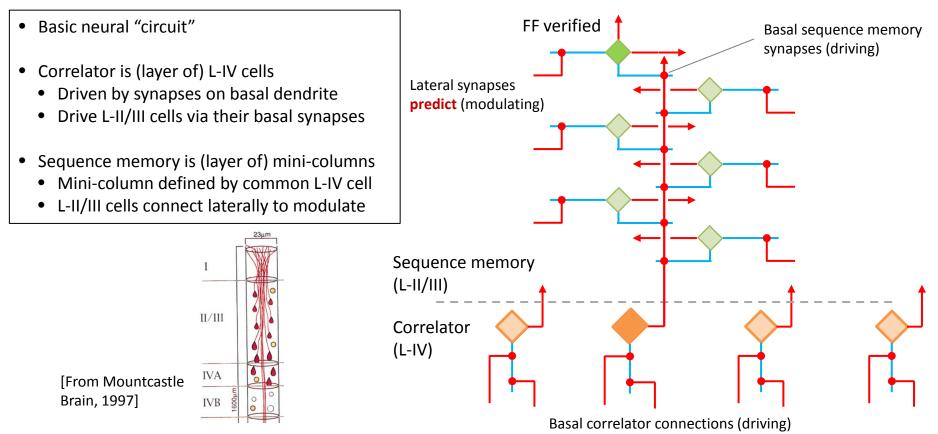
Cellular scale – single neuron

- Soma
- Dendrites (receive input)
- Driving (basal)
- Modulating (lateral and/or apical)
- Axons propagate output
- Synapses



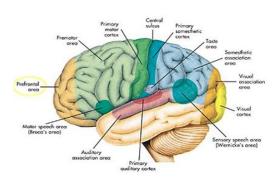


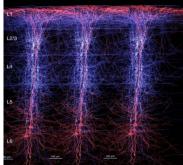
Micro scale – mini-column



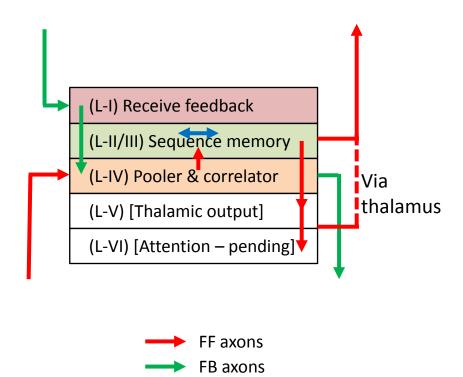
Meso scale – cortical region

- Region of cortical sheet
- Components are layered
 - Structural differences
 - Functional differences
 - (No universal agreement)
- Similar over entire cortex



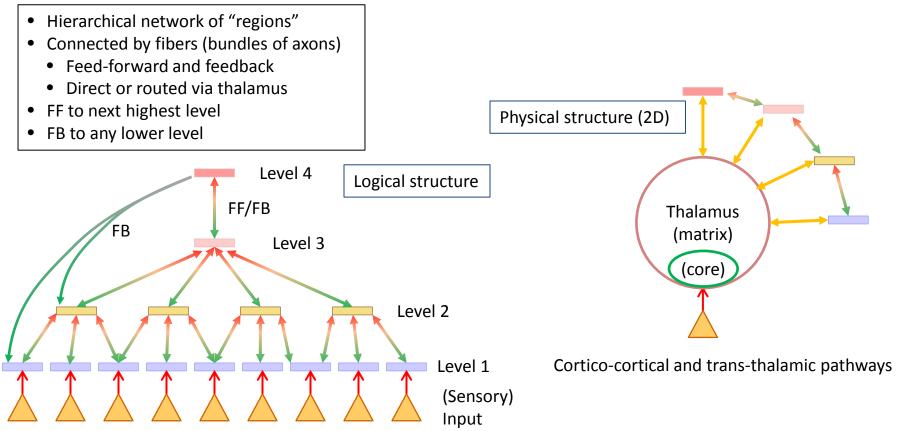


Cortex cross-section [R. Friedman Biomed. Comp. Rev. 2009]



Lat. axons

Macro scale - cortex



CALgorithms: MathematiCAL

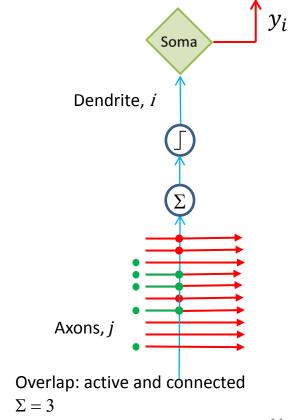
Input is axon activity, *x*, a sparse binary vector (sbv). Connectivity *C* is sparse binary matrix

Output is dendrite activity, *y*, also sbv multiply (axon active and connected) accumulate, (sum is "overlap") threshold:

$$y_i = \left(\sum_{j} c_{ij} x_j\right) \ge \tau$$

Self-adjusting threshold & k-winners-take-all

$$y = Cx \ge \tau$$
; τ such that $|y| = k$



Threshold modulation – provides context

Lateral activity (overlap $\Sigma^{(L)}$) provides context of current sequence (e.g. '...ABC')

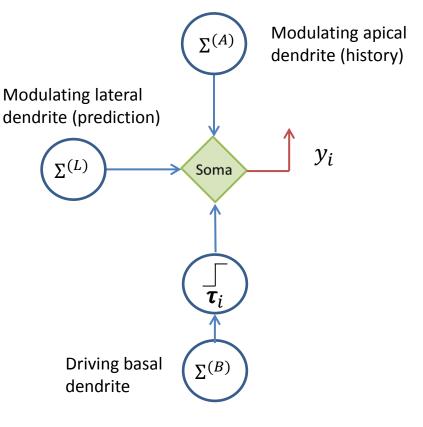
Prediction via reduction of basal threshold of 'D' mini-columns

$$\tau_i = \tau/g_i^{(L)};$$
 "gain" $g_i^{(L)} \sim \Sigma^{(L)}$

Lower threshold is equivalent to higher overlap

$$y_i = \Sigma^{(B)} \ge \tau_i \qquad \Rightarrow y_i = \left(g_i^{(L)} \Sigma^{(B)}\right) \ge \tau$$

Similarly apical overlap. Feedback provides prior context, to sustain basal activity.



Synapse update – following Hebb

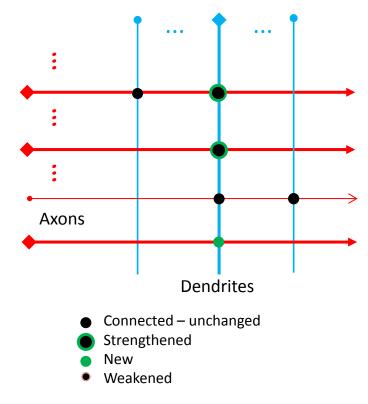
- Synapse "permanence" is scalar property
- Connectivity (weight) is binarized permanence (*cf*. Numenta HTM)

Hebb

- Both pre- and post-synaptic neurons active: strengthen (increase permanence) or create new one
- Only one active: weaken (decrease permanence)

Correlation

- When two axons are often active simultaneously, they connect to the same dendrite
- When two axons are rarely active simultaneously, they connect to different dendrites



Maintain a balance – homeostasis

Dendrite sensitization

• Lower threshold (increase gain) for dendrites with few connections

"Proportional Hebb"

 Increase/decrease in inverse proportion to number being updated i.e. maintain roughly constant mean permanence

"Conditional Hebb"

- If axon or dendrite has excess connections, do not strengthen
- If axon or dendrite has too few connections, do not weaken i.e. maintain roughly equal number of connected synapses

"Pruning"

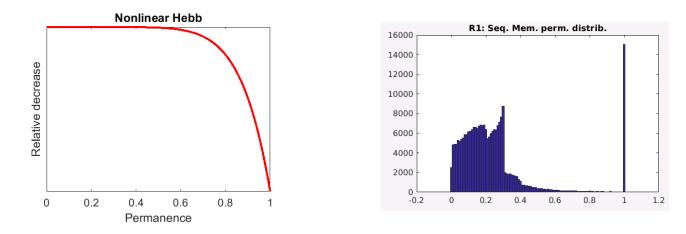
 Remove excess weak synapses cf. mechanism during sleep

Do not forget - long term memory

"Nonlinear Hebb" to avoid "catastrophic forgetting"

Reduce permanence decrements for well established synapses

$$\delta p \sim (1 - p^{\gamma}), \qquad \gamma > 5$$



Results in two populations of synapses: plastic and permanent

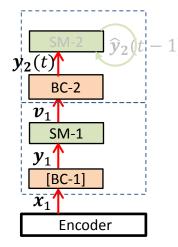
Temporal pooling and correlation (towards invariance)

Feed forward from SM-1 to BC-2 verified neurons : $v_1(t)$ predicted at *t*-1, active at *t*

Pool by union of consecutive FF inputs:

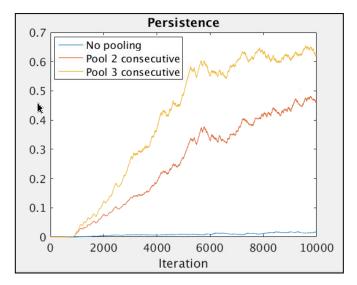
 $x_2(t) = v_1(t) \cup v_1(t-1) \cup v_1(t-2) \dots$

Network: 2 regions (1-1)



Metric: persistence (fraction of bits that remain on in two consecutive iterations)

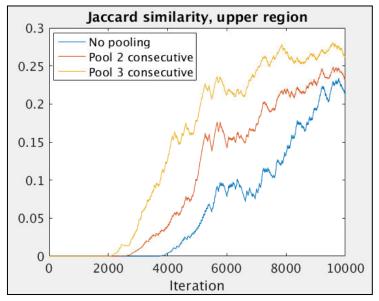
 $\Pi(t) = \frac{|\mathbf{y}_2(t-1) \cap \mathbf{y}_2(t)|}{|\mathbf{y}_2(t-1)|}$



Text input: 3 sentences, selected in random order. Total of 10,000 characters

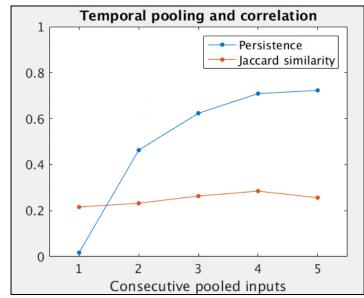
The quick brown fox jumps over a lazy dog. The 1990s saw the emergence of cognitive models. CAL is built on several fundamental principles.

Temporal pooling (cont.) – Learning rate, persistence



Jaccard similarity: normalized match of previous prediction and current "truth" $J = \frac{|\hat{y}_2(t-1) \cap y_2(t)|}{|\hat{y}_2(t-1) \cup y_2(t)|}$

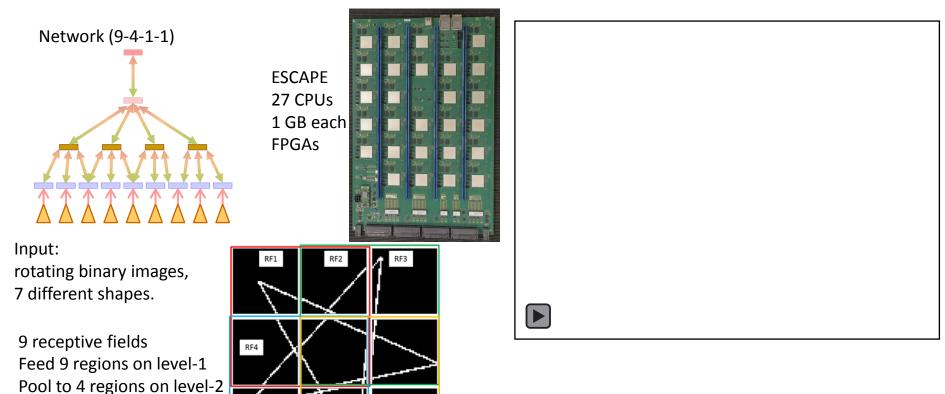
$$y_2(t)$$
 $\hat{y}_2(t-1)$



Temporal pooling (union of consecutive inputs)

- generates increasing stability of representation
- accelerates learning

Scaling the hierarchy – video sequences

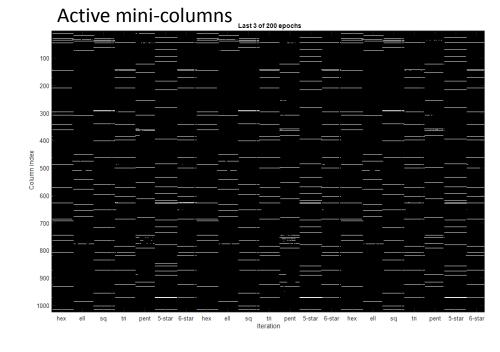


RF9

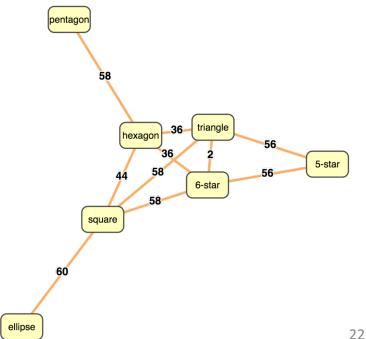
1 region on levels 3, 4

Building the hierarchy – auto-encoding of sequences

Representations $(y_{4,1})$ in top region are stable for each shape



Hamming distances (max. 64) between representations as "force" diagram (Blank edges are orthogonal, d = 64)



Summary - pedagogiCAL

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 - Avoid catastrophic forgetting (nonlinear Hebb)
- Simplicity
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 - Active axons and connected synapses (overlap) and floating threshold
 - A few canonical functions:
 (so far) correlation, sequence learning, feed-forward with temporal pooling, feedback
- Importance of time
 - Learn to predict

Results

- Emergent invariance
 - Invariant representations generated in upper levels of hierarchy
- Context for current (**driving**, basal) input provided by **modulating** (lateral, apical) synapses

KATE



Acknowledgments



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